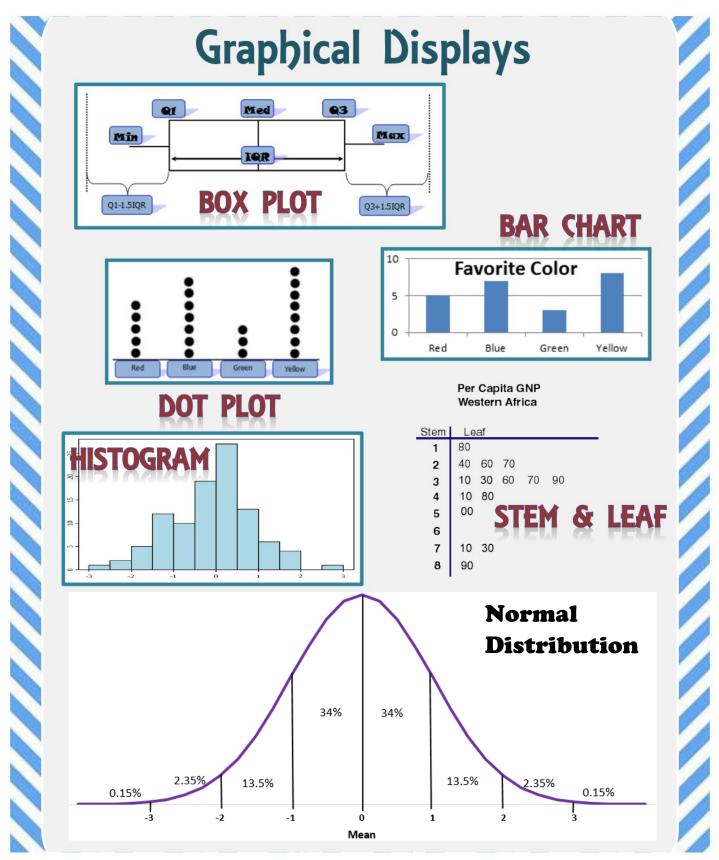
- In this class you will learn to describe and analyze sets of data and use that analysis to draw conclusions in context about the situation that gave the data. This course is not like any other math class you have ever taken! I would say that it is a combination of Math, English, and Science. Communication skills are essential, and there is much more reading and writing than what you are used to in a math class. It is a very rewarding course and a very important one, in my opinion, but can be quite difficult at times. Since it is an AP course, it is considered to be college-level. The mathematics required for this course may not be as difficult as in other advanced math courses, but some of the concepts can be very confusing. In addition, there is a great deal of material that we will cover by the end of the semester, so the class moves fast.
- The summer assignment is designed for you to review some algebra skills, general information, and
 refresh your knowledge or learn about basic descriptive statistics, graphs, etc.. Answers should be
 neatly handwritten. You must have a graphing calculator for this class (TI-84 is recommended).
 Calculate84 is also a FREE app that emulates the TI-84 calculator on your phone screen. You can use
 the reference pages at the beginning of the packet and/or watch YouTube videos for calculator tips.
- Due Date: Summer assignments must be completed by the first week of class. The class will NOT go slowly to accommodate those who did not complete the summer work.
- Supplies needed for this course are the following;
 - 3-ring binder with loose leaf paper and dividers (5)
 - Pencils and erasers
 - Highlighters, colored pens, colored pencils, etc.
 - Calculator: TI-83 or TI-84 graphing calculator
- What You Can Expect:
 - Direct instruction
 - REGULAR HOMEWORK
 - Show all of your work like teacher does in class
 - Explaining in words how your results relate to the problem given
- Ways to Succeed in this Class
 - Take notes <u>every day</u> and keep them organized by chapter/date in your binder
 - Fully complete homework every day and check your solutions
 - Participate in class
 - Read your text book



Frequently Used Formulas					
-	Z-Statistic				
1-Proportion z-interval	$\hat{p} \pm z^* \sqrt{rac{\hat{p}\hat{q}}{n}}$				
1–Proportion z-test	$Z = \frac{(\hat{p} - \rho)}{\sqrt{\frac{\rho q}{n}}}$				
2-Proportion z-interval	$\hat{p}_1 - \hat{p}_2 \pm z^* \sqrt{\frac{\hat{p}_1 \hat{q}_1}{n_1} + \frac{\hat{p}_2 \hat{q}_2}{n_2}}$				
2-Proportion z-test	$Z = \frac{(\hat{p}_1 - \hat{p}_2) - 0}{SE_{pooled}(\hat{p}_1 - \hat{p}_2)}$				
	$SE_{pooled}(\hat{p}_1 - \hat{p}_2) = \sqrt{\frac{\hat{p}_{pooled}\hat{q}_{pooled}}{n_1} + \frac{\hat{p}_{pooled}\hat{q}_{pooled}}{n_2}}$				
	T-Statistic				
1–Sample t-interval	$\bar{x} \pm t_{n-1}^* \left(\frac{s}{\sqrt{n}} \right)$				
1–Sample t–test	$t_{n-1} = \frac{\bar{x} - \mu}{\frac{s}{\sqrt{n}}}$				
2-Sampe t-interval	$(\bar{x}_1 - \bar{x}_2) \pm t^* \sqrt{\frac{s_1^2}{n_1} + \frac{s_2^2}{n_2}}$				
2-Sample t-test	$t_{n-1} = \frac{(\bar{x}_1 - \bar{x}_2) - (\mu_1 - \mu_2)}{\sqrt{\frac{s_1^2}{n_1} + \frac{s_2^2}{n_2}}}$				
Matched Pairs t-test	$t_{n-1}=rac{ar{d}-\mu_d}{rac{s_d}{\sqrt{n}}}$ where d represents the difference between pairs of data				
	X^2 statistic				
	$\sum \frac{(Observed-Expected)^2}{Expected}$				

Common Calculator Commands

5-Number Summary STAT-EDIT-ENTER DATA STAT-CALC-1-Var Stats

Box Plot

STAT-EDIT-ENTER DATA 2ND-Y=-TURN PLOT ON TYPE: CHOOSE BOXPLOT W/DOTS CHOOSE Xlist ZOOM-9:ZoomStat

Histogram

STAT-EDIT-ENTER DATA 2nd-Y=-TURN PLOT ON TYPE: CHOOSE HISTOGRAM CHOOSE Xlist ZOOM-9:ZoomStat

Diagnostics On

2nd-O-x⁻¹ – DiagnosticOn-ENTER

Statistics Tests

2nd – VARS STAT – CALC STAT – TESTS

Part 1: Vocabulary. Please define each of the following terms from the information on <u>www.stattrek.com</u>. When asked to provide and example of the word, provide a unique example of the word <u>NOT</u> given on the website.

1. Categorical Variables

Example:

2. Quantitative Variables

Example:

3. Univariate Data

Example:

4. Bivariate Data

Example:

5. Sample

Example:

6. Symmetry

Example:

7. Skewness

Sketch Skewed left:

Sketch Skewed right:

Part 2: Algebra review. While there isn't a great deal of algebra and equation solving in statistics, some parts of algebra 1 and algebra 2 will come in handy. Please complete the following, showing your work for each part.

Here is a formula that is used often in AP Statistics: $z = \frac{x - \overline{x}}{s}$

- 1. If z = 2.5, x = 102, and $\overline{x} = 100$. What is s? Show your work.
- 2. If z = -3.35, x = 60, and s = 4, what is \overline{x} ? Show your work.

3. Solve
$$0.05 = 1.96\sqrt{\frac{0.5^2}{n}}$$
 for n.

4. If
$$-1.64 = \frac{60 - \mu}{\sigma}$$
 and $1.96 = \frac{95 - \mu}{\sigma}$, solve for μ and σ

Evaluate Expressions:

1.
$$\frac{x-\bar{x}}{s}$$
 when $x = 83$, $\bar{x} = 91$ and $s = 14$

2.
$$\sqrt{\frac{pq}{n}}$$
 when $p = .30, q = .70$ and $n = 23$

- 3. $\frac{s}{\sqrt{n}}$ when s = 17.03 and n = 20
- 4. $\hat{y} = 63.1 12.3x$ find \hat{y} when x = 4

5.
$$\sqrt{\frac{p(1-p)}{n_1} + \frac{p(1-p)}{n_2}}$$
 when $p = .34, n_1 = 24$ and $n_2 = 31$

Part 3: Calculator Practice. Use the steps below to familiarize yourself with the basic display functions of your calculator.

Histograms: A set of quantitative data is often separated into groups or intervals. For example, test scores may be separated into 90-99, 80-89, 70-79, and so on. The frequency refers to the count for each interval. A histogram is a visual representation of the frequencies plotted against the interval.

Exercise 1: Enter the following test scores into List 3 and create a histogram using intervals of width 10:

100, 100, 98, 95, 92, 88, 85, 84, 84, 81, 80, 77, 75, 72, 70, 70, 66, 65, 63, 60, 59, 55, 50

Procedure: First enter the scores into L3. You must now turn on your STATPLOT. The 2nd function of the Y= will get you to the menu.

Choose one of the Plots by pressing 1, 2, or 3. Now activate the plot by selecting ON. At the TYPE prompt choose the third icon for histogram. At the X LIST, make sure it says L3 (2nd function on the numbers 1 to 6). Frequency should be 1.

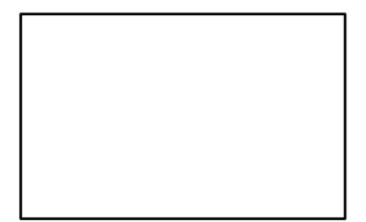
To control the width of the bars (called the bin width), set up the window manually. Xscl=10

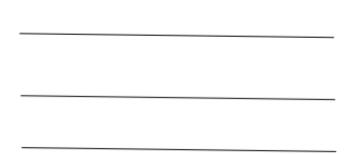
NORMAL FLOAT AUTO REAL RADIAN MP	NORMAL FLOAT AUTO REAL RADIAN MP
WINDOW Xmin=50 Xmax=110 Xscl=10 Ymin=0 Ymax=6 Yscl=1 Xres=1 aX=0.227272727273 TraceStep= 1 .45454545454545	

You may now TRACE the graph to see the intervals and their frequencies. When drawing a histogram, make sure both axes are labeled and have appropriate scales.

NORMAL FLOAT AUTO REAL RADIAN MP
Plot1 Plot2 Plot3
On Off Type:님: 너희 바로 바로 바로 나스 Xlist:L3
Freq :1 Color: BLUE

Now go back to the WINDOW for this example and change the Xscl to 5 and GRAPH. Draw the histogram below and describe how this one differs from the first histogram. Which histogram would best describe the data?





Go back and change the Xscl to 15 then graph. Describe how this histogram differs from the first two. Aagain, state which histogram would best describe the data.

From these two problems, what conclusion can you draw about how the Xscl affects the histogram?

A box plot is a graphical display for a set of quantitative data that only displays the five number summary:

minimum, Q1, median, Q3, maximum

Using the same data as before (example 1 - test scores), create a boxplot below. Make sure your axis has a scale and label.

In the STATPLOT menu, you will notice two boxplot options. The first one allows for possible outliers. I recommend you always use this one.

NORMAL FLOAT AUTO REAL RADIAN MP	0
Plots Plot2 Plot3	
On Off	
Туре: 🗠 🗠 🏊 📴 🖽 🗠	
Xlist:L3	
Freq :1	
Mark : 🖬 + • Color: BLUE	
COICH : BEOL	

Suppose another class receives these test scores:

94, 93, 90, 83, 82, 82, 77, 76, 75, 70, 64, 60, 53, 52, 48, 44, 40

Create two box and whiskers plots on the same set of axes to compare their performance with the original group.

Write a few sentences comparing the medians and the spreads of each class.

Part 4: Probability. Using the information from the 2-way table presented below, answer the questions. Express all answers as reduced fractions and then decimals rounded to the nearest ten thousandth (4 decimal places).

A survey was done of commuters in three major cities about how they primarily got to work. The results are shown in the frequency table below.

	Car	Train	Walk	· Total
New York	10	50	20	80
Los Angeles	36	24	10	70
Chicago	16	28	6	50
Total	62	102	36	200

Find the following probabilities if one commuter is selected at random.

a.) P(NY)

- b.) P(NY and Car)
- c.) P(NY or Car)
- d.) P(Train|NY)
- e.) P(Train|LA)
- f.) P(Train | Chicago)
- g.) In which city is a commuter most likely to take the train as a method of transportation? Explain your answer.

outliers

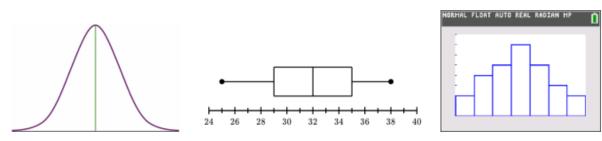
Part 5: Shapes of graphs. Using the information provided, analyze the graphical displays and answer the questions.

When describing a set of data we look at the following features:

Shape center spread clusters and gaps

We have several terms that we use to describe the shape but this packet will concentrate on only two: symmetric and skewed.

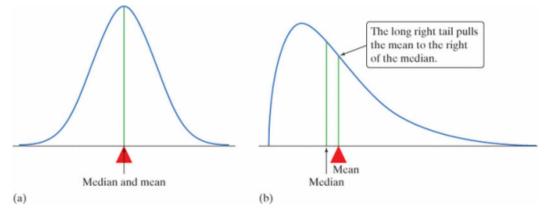
You can tell if a graph is symmetric if a vertical line in the center divides the graph into two fairly congruent shapes. The following sets of data can be described as symmetric:



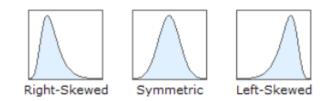
The mean and the median are approximately the same in a symmetric graph. Figure (a) below.

One can tell if a graph is skewed if the graph has a big clump of data on either the left or the right with a tendency to get flatter on the opposite side.

One can tell if a graph is skewed if the graph has a big clump of data on either the left or the right with a tendency to get flatter on the opposite side.

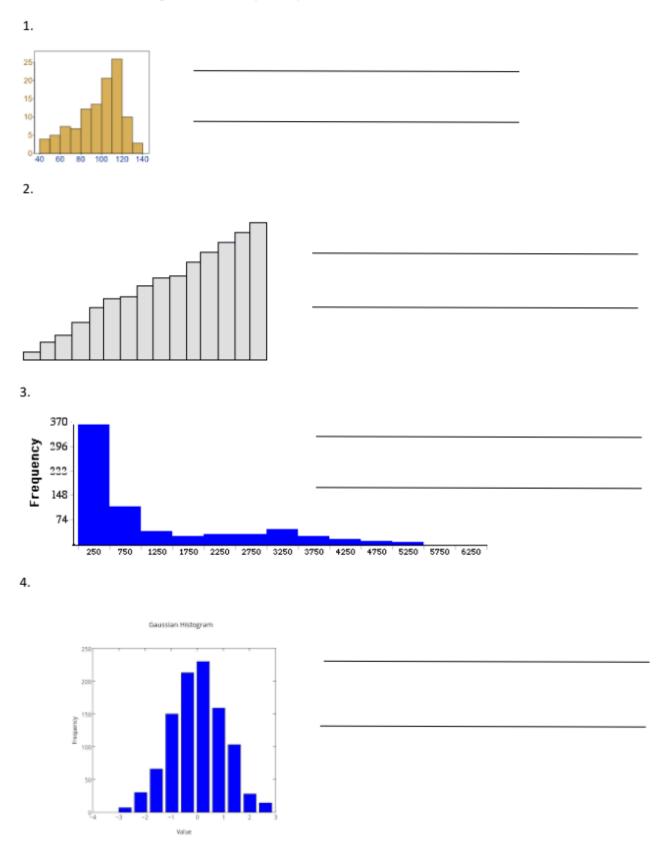


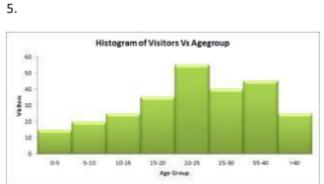
The distribution in figure (b) is skewed right. The mean gets pulled toward the tail, which is the direction of the skewness. So the mean > median



The mean is always pulled closer toward the tail.

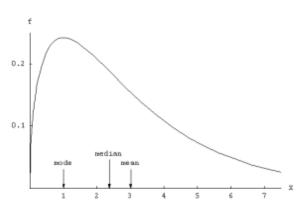
Exercise 1. Determine if the distribution is symmetric, skewed left or skewed right. Then determine if the mean or the median is the larger value. If they are equal, state so.



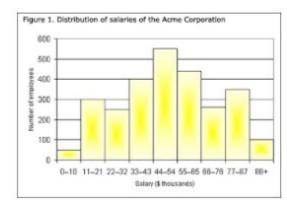












8. For the following graphs, find the shape, center (use the median), and spread (use the range). If there are any other notable features evident in the graph (clusters, gaps or outliers), then say where they are. Otherwise, do not comment on them.

Note: To find the center of these graphs, use the frequencies found on the y-axis. Count how many are in each bar. If the bar has an interval, use the midpoint. Add these up and divide by 2. This tells you where the median is located. Which bar is this value located in?

